

# Template matching, not time learning: What a self-supervised encoder of star brightness learns

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## Introduction

- The sky-survey ZTF has monitored ~2B(illion) stars and galaxies for nearly a decade; Rubin/LSST will extend this to ~38B (~17B stars + ~20B galaxies).
- A variable star's period encodes its physical properties (e.g., temperature, mass, interior structure), calibrates cosmic distances, and traces gravitational-wave-driven orbital decay.
- The Lomb-Scargle periodogram performs a brute-force search over ~5M trial frequencies per star per decade ( $2 \times 10^{17} \chi^2$  evaluations across LSST). **Do self-supervised embeddings measure each star's period — or just learn each class's typical period?**
- A high period  $R^2$  is confounded by class identity. We instead measure a model's ability to read off period from raw time series (light curve):

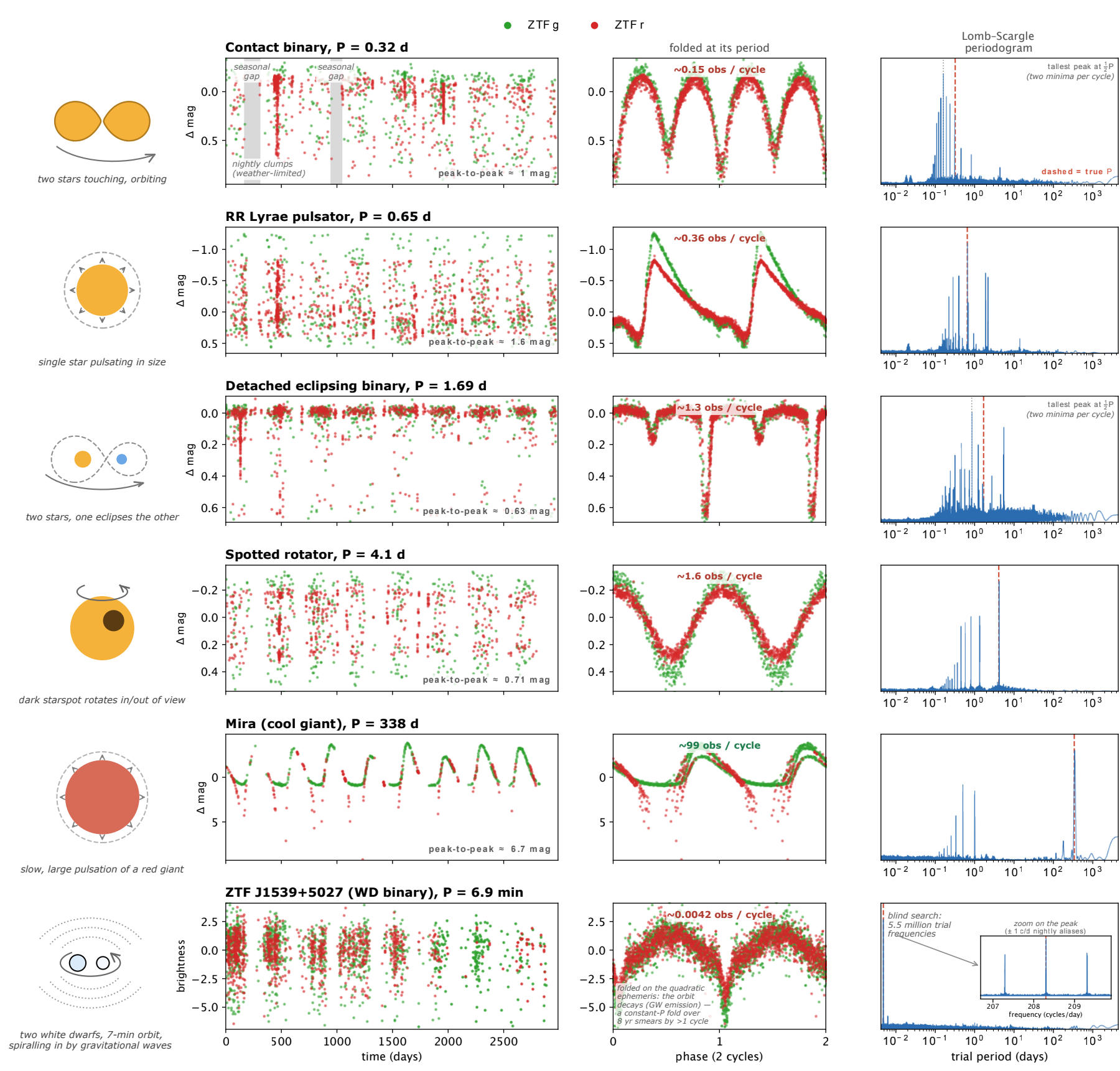


Ground-based Zwicky Transient Facility (ZTF; 2018-Present) at Palomar Observatory

$$\rho_{\text{within}} = \text{median}_c \rho_{\text{Spearman}}(y, \hat{y}|c), \quad y = \log_{10}(P)$$

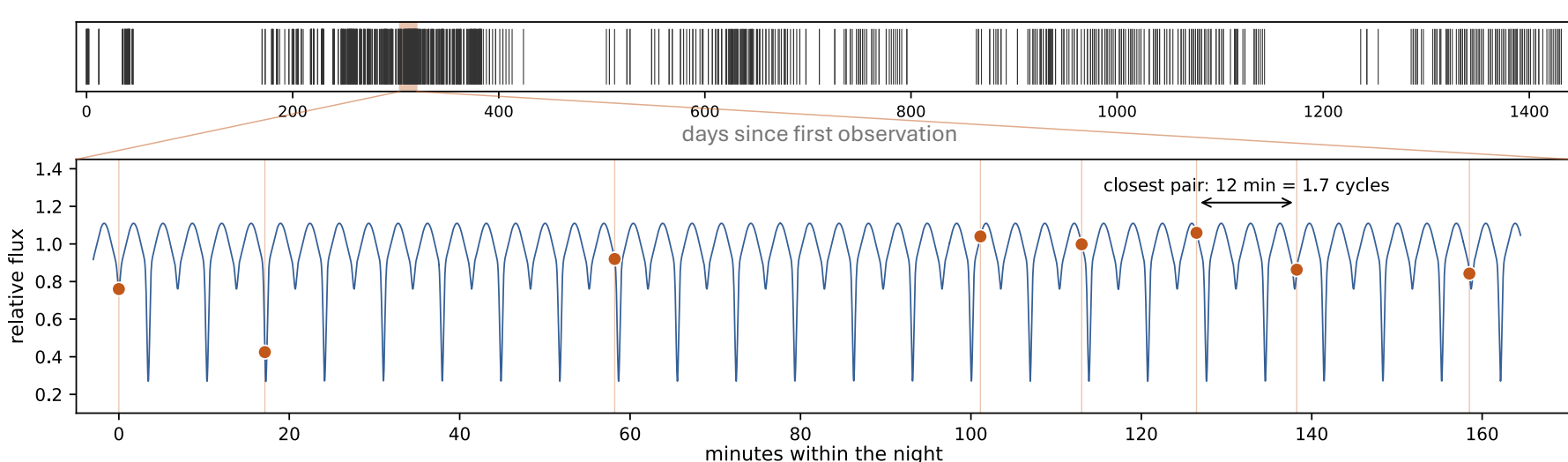
$c = \text{class}, \quad P = \text{period}$

## The data: light curves ( $t_i, f_i, \sigma_i$ ) encode physics



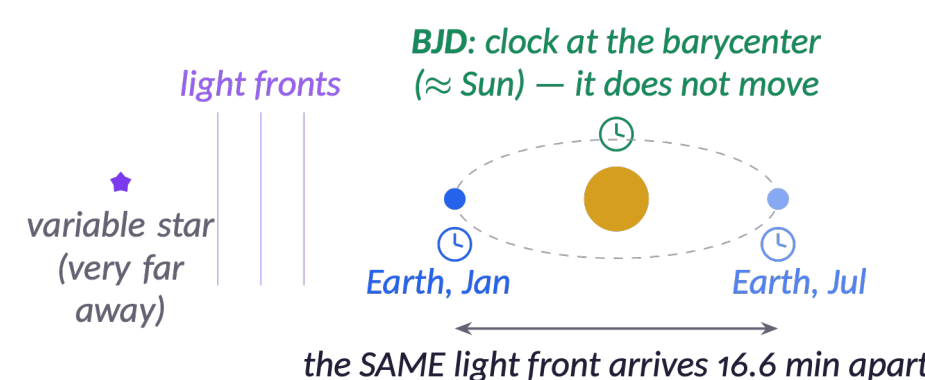
## Irregular sampling: beyond the Nyquist Limit

- A typical ZTF field is revisited every ~2 days in the **g** or **r** filter. For LSST, median revisit of ~3.5 days across six filters (**u g r i z y**). For example, the 7-minute ZTF J1539+5027 completes ~410 orbits between ZTF observations, or ~720 orbits between LSST observations.



- Unlike uniformly sampled signals, irregular observations have no single Nyquist frequency (see VanderPlas 2018), allowing the recovery of short periods like ZTF J1539+5027. However, this isn't for free: recovering it requires searching through a complicated alias structure.

**Aside:** We use Barycentric Julian Dates (BJD), correcting for Earth's orbital motion, which shifts photon arrival times by up to  $\pm 8.3$  light-minutes—longer than the 6.9-minute orbit of ZTF J1539+5027. Like numerical precision (float32 vs. float64), the choice of time representation matters.



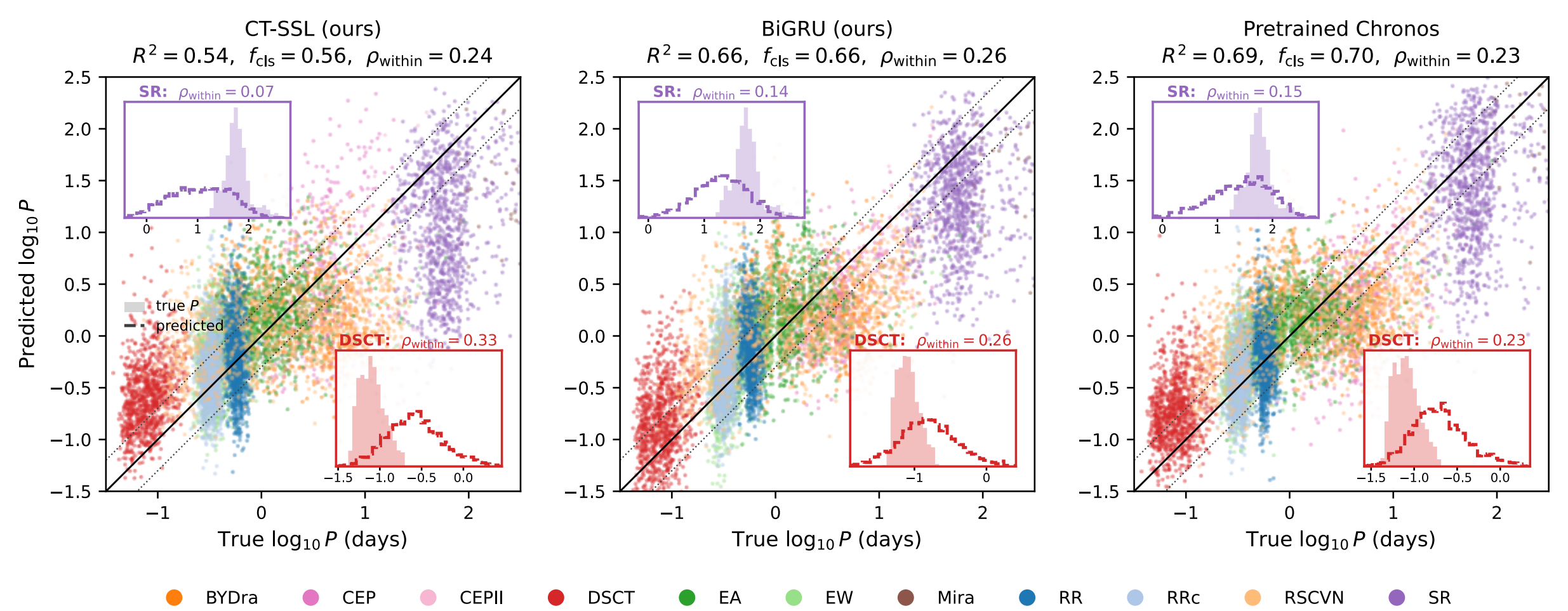
**References:** Ansari, A.F., et al. 2024, TMLR (Chronos). Audenaert, J., et al. 2025, ICML FMSD Workshop (Casual Foundation Models). Burdge, K.B. et al. 2019, Nature, 571, 528, (ZTF J1539-5027). Donoso-Oliva C., et al. 2023, A&A, 670, A54 (AstroMER). VanderPlas, J.T. 2018, ApJS, 236, 16 (Lomb-Scargle Periodogram).

## Do self-supervised representations encode period—or just class?

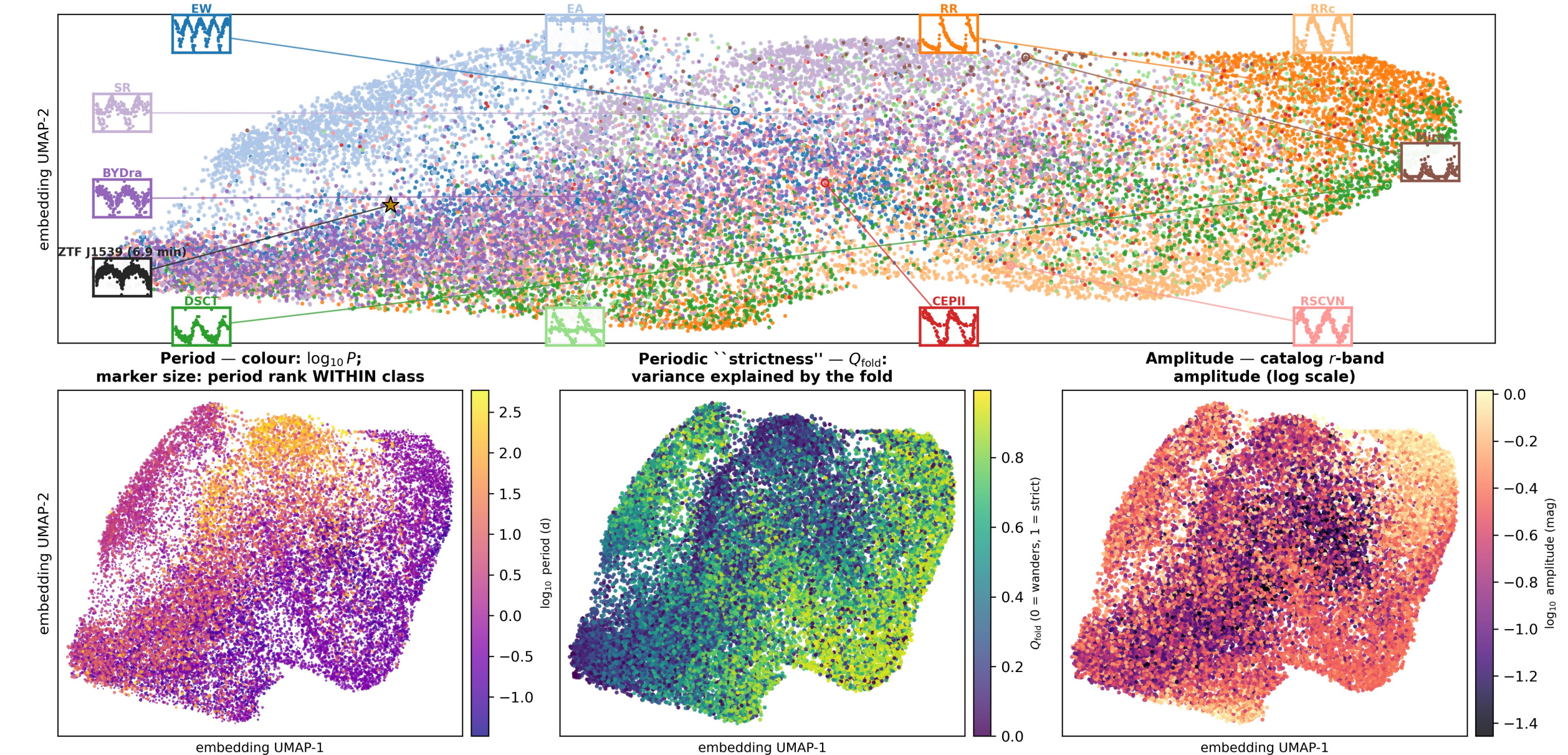
- For each encoder, we freeze the pretrained weights, embed the same 25K labeled light curves, and train an identical linear probe.

|                           |      | pretraining / input diet                 | flux | $\sigma$ | time | how time enters                       | $\rho_{\text{within}}$ |
|---------------------------|------|------------------------------------------|------|----------|------|---------------------------------------|------------------------|
| CT-SSL transformer (ours) | 4.8M | 400k unlabeled ZTF, SSL                  | ✓    | ✓        | ✓    | Fourier feats + $\Delta t$ -attention | 0.24                   |
| BiGRU, cadence-as-channel | 4.4M | same 400k ZTF, same SSL                  | ✓    | ✓        | ✓    | log $\Delta t$ input channel          | 0.26                   |
| CNN (1D, 6 layers)        | 4.4M | same 400k ZTF, same SSL                  | ✓    | ✓        | ✓    | log $\Delta t$ input channel          | 0.25                   |
| Chronos-T5 (from scratch) | 4.9M | 400k ZTF, next-token CE                  | ✓    | ✗        | ✗    | none (token order only)               | 0.04                   |
| Chronos-T5-small (frozen) | 46M  | $\sim 10^9$ generic timesteps            | ✓    | ✗        | ✗    | none                                  | 0.23                   |
| Chronos-T5-small + ZTF    | 46M  | generic $\rightarrow$ 120k ZTF fine-tune | ✓    | ✗        | ✗    | none                                  | 0.22                   |
| MOMENT-base (frozen)      | 110M | $\sim 10^9$ generic timesteps            | ✓    | ✗        | ✗    | assumes a regular grid                | 0.21                   |
| ASTROMER (frozen)         | 0.7M | 1.5M MACHO R-band LCs, masked SSL        | ✓    | ✗        | ✓    | time-based positional encoding        | 0.12                   |
| Lomb-Scargle + argmax     | —    | —                                        | ✓    | ✗        | ✓    | explicit: $\sim 5$ M trial folds      | 0.78                   |

- Classes clearly separate in embedding space, but period does not; every encoder achieves  $\rho_{\text{within}} \leq 0.26$  (128-1024-d embeddings — the standardized ridge probe cross-validates its regularization per encoder, and an MLP probe gives the same ordering). In contrast, a naive argmax on Lomb-Scargle periodograms (the classical tool) reaches  $\rho_{\text{within}} = 0.78$ .



- Coloring the embedding reveals smooths trends in periodic strictness (variance of phase-folded profile) and variability amplitude, both within and across variability classes.
- These properties covary with period (e.g., RR Lyrae amplitude anti-correlates with period): is period genuinely absent, or merely entangled with other observables?



## Period search computation is hard to learn for irregular sampling

- We observe that a neural network's ability to read off a period from a given a light curve depends on sampling cadence relative to the intrinsic periodicity (*obs/cycle*).
- Left:** Under dense sampling (10-100 *obs/cycle*), a network predicts nearly perfectly; under sparse sampling (0.2-2 *obs/cycle*), period information disappears. (*Synthetic signals, real ZTF timestamps.*)
- Middle:** When easy examples are present, period learning nucleates at long periods and propagates toward shorter periods during training. With sparse-only data, learning never begins.
- Right:** Loss-landscape measurements show a qualitative transition: when period learning emerges, the optimization floor collapses ( $\sim 10\times$ ) and curvature increase.

